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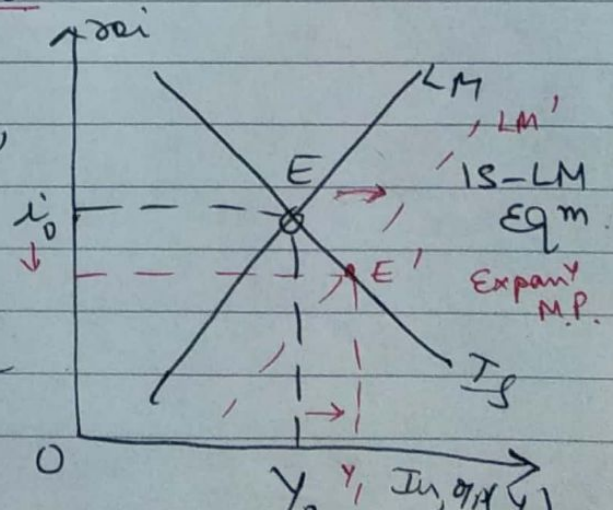
Chp 11: "Monetary & Fiscal Policy"

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In this chp, we use the IS-LM model to show how monetary & fiscal policy work. These are 2 main macro-eco. policy tools of the govt. Both can be used to stabilize the economy. Fiscal policy has its initial impact in the gds mkt and mon. policy has its initial impact mainly in the assets markets. But because the gds & assets mkts are closely interconnected, both mon. & fiscal policies have effects on both the level of opp & interest rates.

We know that IS curve represents IS-LM eqm in the gds mkt. The LM curve represents eqm in the money mkt. The intersection of the 2 curves det. opp & int. rates in the SR ie, for a given pc level. Expansionary mon. policy moves the LM curve to the rt, raising inc. & lowering int. rates. Contractionary mon. policy moves the LM curve to the left, lowering income & raising int. rates.

Expansionary fiscal policy moves IS curve to the rt, raising both inc. & int. rates. Contractionary F.P. moves the IS curve to the left, lowering both income & int. rates.



Mon. Policy is the policy of the central Bank (Govt & the monetary authorities) (to control & regulate the qty of money in the economy, structure & level of ROI and the exchange rate to achieve predefined macro-econ. obj's). The Govt uses both quantitative & qualitative moves to control the monetary system & the above monetary magnitudes.

The q'tive moves include -

- Open mkt operations
- Bank rate
- Cash reserve Ratio

The q'tive moves include:

- Credit rationing
- Moral Suasion
- Direct Controls

- The CB controls MS mainly than open mkt operations.

The C-Bank conducts ^(uses) mon. policy mainly than open mkt operations. (tho' there are other moves also). eg Bank rate & CRR

Working of open mkt operations :

→ Transmission mechanism

In this section, we will study the impact of monetary policy (via open mkt operations) on the level of inc. & sp.

In an open mkt operation, the central bank of the economy buys govt securities bills & bonds, in exchange for money, thus

* The asset mkt adjust immed. & $r_{ai} \downarrow$ bet E & E' .

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buys bonds
 \uparrow STK of money
 sells bonds
 \downarrow STK of m.

increasing the stock of money in circulation OR the C. bank sells govt securities, bills & bonds in exchange for money paid by the purchasers of the bonds etc, thus reducing the stock of money in circulation.

Effect of expansionary M.P. \rightarrow
 in open mkt operations
 - C Bank purchases bonds

Fig shows the working of open mkt operations purchases of bonds by the C. bank.

$\frac{\bar{M}}{P}$

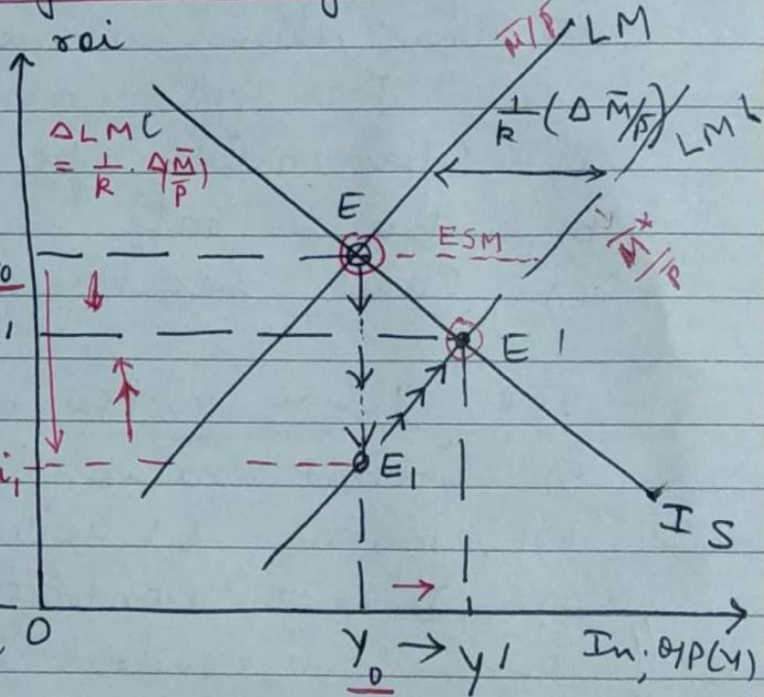
The initial real money ss is $\frac{\bar{M}}{P}$ giving us LM_0 curve.

The initial eqm position is defined by E , where IS curve intersects the LM_0 curve.

\therefore Initial eqm level of inc is y_0 and eqm r_{ai} is i_0 .

Purch. Bonds

Sup. central bank purchases bonds under



its open mkt operations. This will \uparrow the nominal stock of money in the econ, say from \bar{M} to \bar{M}^* . Given the price level \bar{P} , the real qty of money supplied rises from (\bar{M}/\bar{P}) to (\bar{M}^*/\bar{P}) .

$\frac{\bar{M}^*}{\bar{P}}$

Bonds \downarrow
 $S_B \downarrow$

$P_B \uparrow$
 $r_{ai} \downarrow$

This causes LM curve to shift from LM_0 to LM_1 [when the C. Bank purchases bonds the qty of bonds avail. in the mkt falls leading to an \uparrow in their bond prices or lower their yield - only at a lower int. rate]

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((This causes LM curve to shift rightwards from LM to LM')) The asset mkt's adjust immediately & r_{oi} declines from E to E' . So ((the new eqm will be at pt E' with a lower interest rate & a higher level of income.))

Process of adjustment

Let's consider the process of adjustment to the monetary expansion. At the initial eqm pt E , the increase in money supply (due to purchase of bonds by the central bank) creates an excess supply of money. i.e. $D_{money} < \text{supply of money}$. Public adjusts to this by trying to buy other assets eg Bonds. In the process demand for bonds \uparrow s in the mkt \Rightarrow price of bonds \uparrow s $\Rightarrow r_{oi}$ falls. \Rightarrow demand for money \uparrow s in the mkt of money mkt clears at E_1 , where r_{oi} has fallen to i_1 . As the money mkt adjusts very quickly, the eco^y moves from E to E_1 .

ESM
 DB \uparrow
 PB \uparrow
 $i \downarrow$
 DM \uparrow s
 All SM \uparrow s
 DM = SM
 & money mkt clears

gds mkt not in eqm
 EDG
 $i \downarrow$
 Inv \uparrow
 AD \uparrow
 $Y \uparrow$

At pt E_1 , however the gds mkt is not in eqm as pt E_1 is not on the IS curve. At E_1 , there is EDG. The lower interest rate i_1 has implication for the gds mkt lower interest rate stimulates planned Inv, which raises agg dd causing the inventories to run down ($\therefore AD \uparrow Y$).

Prod^s \uparrow then o/p

AD \uparrow Y

EDM $\Rightarrow D_M > S_M \Rightarrow$ so i must \uparrow to reduce D_M

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$y \uparrow$ & $D_M \uparrow$
 $i \uparrow$
 So, output rises from Y_0 to Y' & with \uparrow in output, transactions dd for money \uparrow s causing soi to \uparrow from i_0 to i' . (The greater dd for money has to be checked by higher interest rates. (EDM \Rightarrow soi \uparrow s).

$op \text{ hr} \uparrow$ & $i \text{ lower}$
 The new eqm is established at pt E' where op hr is higher & soi lower compared to the initial eqm.

So the \uparrow in the money stock first causes interest rates to fall as the public adjusts its portfolio & then - as a result of the \downarrow in interest rates - \uparrow to AD. (& hence income \uparrow & then $T.S, D_M \uparrow$ & i_0 int. rates \uparrow .)

\checkmark \uparrow in $\bar{M} \Rightarrow \uparrow$ in $\frac{\bar{M}}{P} \Rightarrow$ Excess supply of money
 i.e. $S_M > D_M \Rightarrow$ soi $D_B \uparrow, P_B \uparrow, i \downarrow$
 then $D_M \uparrow$ and eqm reaches pt E_1 , where money mkt clears.

At E_1 , gds mkt not in eqm. Due to low i , Inv \uparrow , AD \uparrow & AD $>$ Y, hence, $y \uparrow$ & $T.D_M \uparrow$ & $i \uparrow$ till eqm reaches at E_1 .

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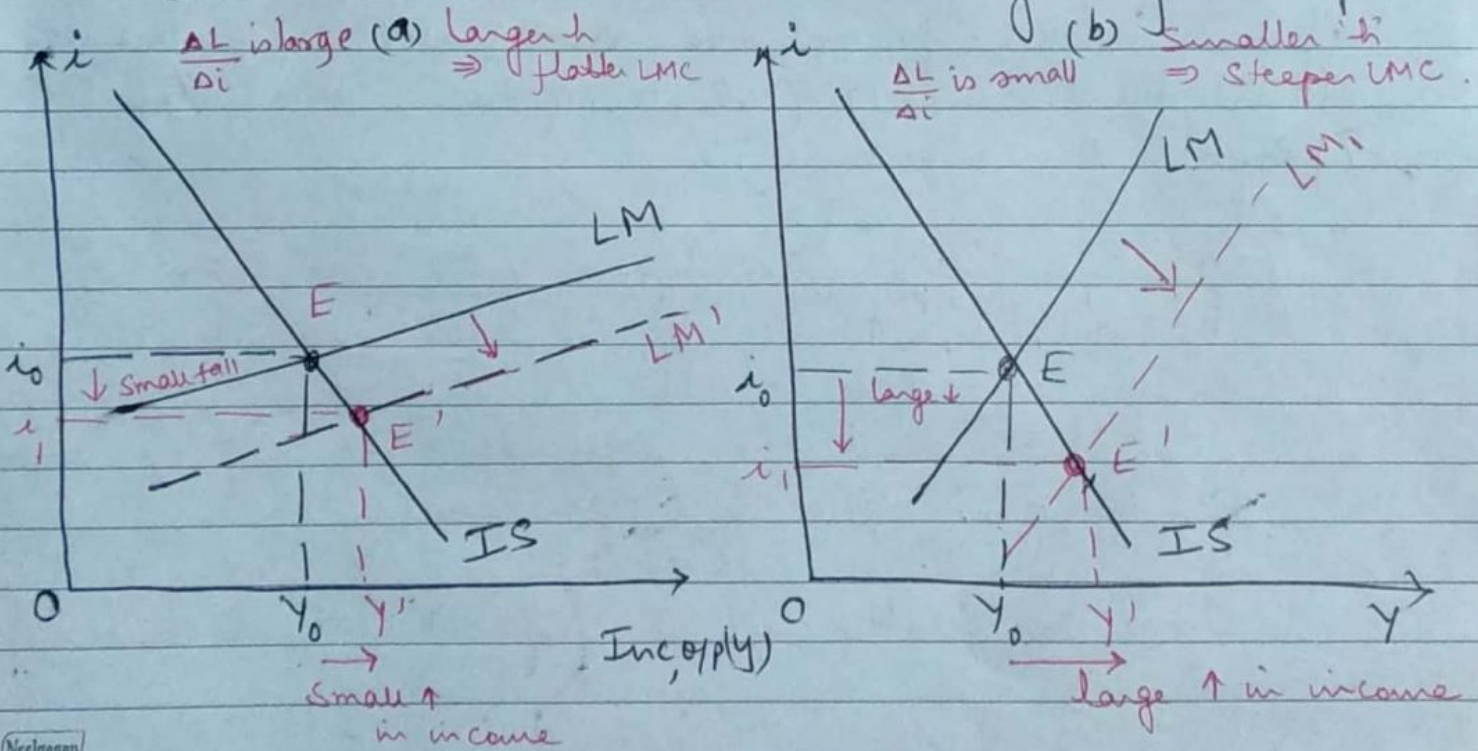
It can be shown with the help of the figs that given the IS schedule a change in real money supply will have a greater effect on eqm income, steeper is the LM schedule.

We know slope of the LM = $\frac{k}{h}$

k = sensitivity of dd for real balances to a change in income

h = sensitivity of dd for real balances to a change in the rri.

We consider 'h'. Let's take 2 figs, one with higher 'h' giving a flatter LM & one with lower 'h' giving a steeper LM.



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Small h
 Δi is small
 \Rightarrow slope $= \frac{\Delta i}{h}$
 \Rightarrow is large
 \Rightarrow steeper LMC

Now, consider fig (b); In this case the dd for real balances is not very sensitive to interest rate ses (ie h is small), leading a very steep LMC. Here a given Δe in nominal money stock causes the LM curve to shift from LM to LM' leading to a substantial fall in the interest rates from i_0 to i_1 . Substantial fall in the roi is needed to absorb excess ss of money (\because dd for real balances is not very sensitive to the roi (small h)).

(dd for money is not v. sensitive to a Δm ss , so large fall in roi is needed ~~to~~ ~~to~~ \uparrow Dm so that $Dm = S_M$.)

A large fall in interest rates \uparrow investment spending a lot. ~~is~~
 \Rightarrow Substantially large \uparrow in income from Y_0 to Y_1 .

A change in h only changes the slope, not the position/shift of the LMC.

But a change in k changes both slope & the shift of the LMC ($-\frac{1}{R} \Delta \left(\frac{M}{P} \right)$) & impact of shift is larger.

So when we talk abt slope of the LMC, we talk of h only.

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9) $\left\{ \begin{array}{l} \frac{\bar{M}}{P} \uparrow, E_{Sm}, \text{ i.e. } S_m > D_m, \text{ so need to } \uparrow \\ D_m. \text{ Now } \therefore \frac{\Delta L}{\Delta Y} \text{ is large, need to } \uparrow \text{ inc.} \\ \text{by a very small } \Delta Y \text{ amt } \Rightarrow \text{MP mult} \text{ will be smaller} \end{array} \right.$

Large k Similarly, if the dd for money is very sensitive to income (i.e. k is large) a given increase in the money stock can be absorbed with a relatively small change in income & the monetary multiplier will be smaller. (large k $\Rightarrow \frac{1}{k} \Delta(\frac{\bar{M}}{P})$ is smaller \Rightarrow mult is smaller)

Monetary Policy multiplier

$$\frac{\Delta Y}{\Delta(\frac{\bar{M}}{P})} = \gamma \frac{b}{h} = \frac{b \alpha \gamma}{h + k b \alpha \gamma} \quad \parallel$$

(Smaller is h & k, larger is the monetary multiplier i.e. larger is ΔY due to a change in $\frac{\bar{M}}{P}$.)

Formula shows that larger is k smaller wld be ΔY to a change in real money stk and smaller wld be the monetary MP multiplier.

Remember: slope of LMC = $\frac{k}{h}$ and

$$\text{Shift of the LMC} = \frac{1}{k} \Delta(\frac{\bar{M}}{P})$$

So, slope & shift both depend on k.
& impact of shift in LMC is larger

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When we say that steeper is the LM curve, more effective is the MP we look at 'h' only. 'h' only affects slope of the LMC, not the position.

For $h \Rightarrow$ lower slope \Rightarrow flatter LMC
 \Rightarrow small Δ in γ due to a Δ in \bar{M}/\bar{P} .

Lower $h \Rightarrow$ higher slope \Rightarrow steeper LMC
 \Rightarrow large Δ in γ due to a $\Delta(\bar{M}/\bar{P})$.

k affects both slope & shift of the LM curve. And, the impact of shift is larger.

Large k Larger is $k \Rightarrow$ smaller is $\frac{1}{k} \Delta(\frac{\bar{M}}{\bar{P}})$
Smaller is shift \Rightarrow smaller is the shift of the LM curve for a given money supply

\Rightarrow smaller is the fall in the soi

\Rightarrow smaller is the \uparrow in Inv. & hence \uparrow in income is also smaller

\Rightarrow smaller monetary policy multiplier

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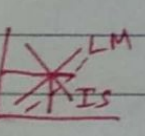
"The Transmission Mechanism"

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ESM
↑ MS
→ ↑ Int. r
→ ↑ AD

The process by which an ↑ in money ss lowers the int. rates, which stimulates Inv. & thereby expands the agg dd for g & s is called the transmission mech^m. So it is a process by which changes in mon. policy affect agg dd for g & s.

Two steps in this trans. mech. are essential:



ESM
→ Portfolio adjusts.
DB ↑, PB ↑
→ ↓ r

① An increase in real balances ^(or real money ss) generates a portfolio diseq^m i.e. at the prevailing int. rate & level of income, people are holding more money than they want. This causes portfolio holders to attempt to reduce their money holdings by buying other assets thereby changing asset prices & yields. In other words, the change in the money ss changes int. rates.

ESM
→ ↓ r
→ ↑ Y

↑ in real money ss → portfolio diseq^m as there is excess ss of money, at int. rate i & Y , people are holding more money than they want → portfolio adjustments made to restore eq^m. People reduce their money holdings by buying other assets (bonds) → change in asset prices & interest rates. Bond prices rise & int. rates decline. Eco^y moves from E to E₁. Pt. E₁ is on LM₂ curve ⇒ money mkt is in eq^m.

The 2nd stage of transmission process occurs when the Δ in int. rates affect

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↑ r → Δ AD

agg dd. At lower int. rate int rises leading to real agg dd. ^{Existing inventories run down, O/P expands} Eco^y moves from E₁ to E₁'.

In moving from E₁ to E₁' ↑ in O/P raises the IS dd for money, as greater dd has to be checked by a hr. int. rates. (so 'i' also rises)
 → O/P expands from Y₀ to Y₁'
 → Eq^m is finally restored at E₁' where IS curve intersects LM₁, Eq^m level of inc = Y₁' & i = i₁'.

Fall: table provides a summary of the stages in the trans mech^o.

Table: The Transmission Mechanism

(1) →	(2) →	(3) →	(4) →
change in <u>real money supply</u>	Portfolio adjustments lead to a <u>Δ in asset prices & int rates</u> (E to E ₁)	Spending <u>or AD</u> adjusts to changes in <u>int rates</u>	O/P adjusts to the <u>Δ in agg dd.</u> (E ₁ to E ₁ ')

Critical Links

ΔM_s → ΔY

ΔM_s → Δi

There are 2 critical links bet the Δ in real bals (ie real money stk) & the ultimate effect on inc. (1) The Δ in real bals, by bringing abt portfolio diseq^m, must lead to a Δ in int. rates

(2) That Δ in int rates must Δ agg dd.

Δi → ΔAD

Thru these 2 linkages, Δ in the real money stk affect the level of O/P in the economy. ie trans^m mech. works thru these 2 linkages.

ΔM_s → Δ in P_s & i → Δ AD → Δ O/P.

If any of these linkages is broken i.e. if portfolio imbalances do not lead to a significant change in rate of interest or if spending (AD) does not respond to changes in the r or i , the link between money & output does not exist.

Let us see the effectiveness of Monetary policy in 2 extreme cases. The first is the Liquidity Trap.

The Liquidity Trap

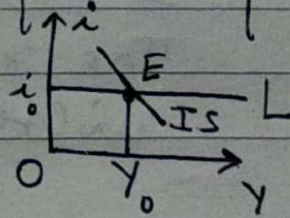
The liq. trap is a situation in which the public is prepared, to hold whatever amount of money is supplied at a given rate of interest. They don't want to hold bonds. This implies that the LM curve is horizontal & that changes in the quantity of money do not shift it. In that case the MP carried out through open market operations has no effect on either the interest rate or level of income. In the liq. trap MP is powerless to affect the interest rate. It means that in liq trap, the first link between the change in 'money supply' & change in income/output is broken. The r or i doesn't change as a result of increase in the money supply.

Explanation: Acc. to IS-LM model an increase in M_s results in excess cash balances which is used to buy bonds, so $D_B \uparrow$ & $P_B \uparrow$, leading to a fall in the interest rates.

However, if the interest rates have already fallen to very low levels, they are expected to rise. It means that since bonds prices are very high, they are expected to fall. In such a situation individuals believe that buying bonds would lead to a capital loss & as a result they only want to hold cash. Cash is the most convenient to use in transactions.

So if the interest rates fall very low, increases in the quantity of money will not induce anyone to shift to bonds & thereby reduce the rate of interest on bonds further. An increase in the money supply would have no effect on the r_{oi} or income - the economy would be in a L. trap where MP doesn't work.

The LM curve, in this case, is horizontal & changes in the quantity of money do not shift it.



2nd link will be broken if foll. happens →

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"After liquidity Trap"

$\Delta r_{oi} \rightarrow \Delta I$
DATE _____ or $\rightarrow \Delta AD$

STEP 3 AD adjusts to Δr int rate

✓ Banks' reluctance to lend

look at the transmission mechanism.

$r_{oi} \downarrow$
 $I_{ovt} \uparrow$

According to the step (3), Inv. spending shd \uparrow in response to lower interest rates. Firms that plan to \uparrow their investment spending typically borrow from banks to finance their spending.

But despite monetary policy actions banks are extremely reluctant to lend & as a result inv't spending does not respond despite the fall in the r_{oi} . They preferred to lend to the govt, by buying its securities such as Treasury Bills which is more safe than lending to priv firms.

of banks will not lend to firms than an imp. part of the transmission mechanism between a central bank's open mkt. purchase & an \uparrow in Agg. dd & OP is put out of action.

(if banks do not lend to the govt, then link bet central bank's open mkt purchase & \uparrow in AD & OP is broken & trans mech^m will not work)

so 2nd link is broken. $\downarrow i \rightarrow \uparrow I$
 $\Delta i \rightarrow \Delta I$
 $\rightarrow \Delta AD$

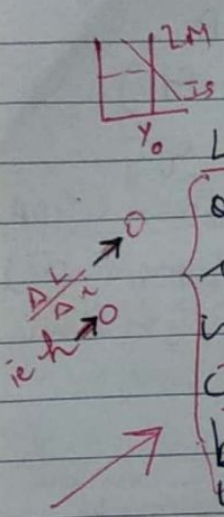
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 "2nd Extreme Case"

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From the desk of ✓ ((The classical case)) is the

effectiveness of the Monetary policy in the classical range



Another extreme case is of the vertical LM curve. According to the classical school of thought the dd for real balances is interest-inelastic i.e. the dd for money is completely unresponsive to interest rate changes. In such a situ, the LM curve becomes vertical & this range of the LM curve is called the classical range.

At each pt on the LM, $\frac{M}{P} = L$

We know that the LM curve is given by the eqⁿ: SS of money $\frac{\bar{M}}{P} = dd \text{ for money } (L)$
 (It represents eqⁿ in the money mkt)

$$\frac{\bar{M}}{P} = kY - hi$$

$$L = kY$$

Given the real money ss $= \frac{\bar{M}}{P}$,

when $h = 0$, we get

$$\frac{\bar{M}}{P} = kY$$

(So, here $L = kY$ only as $h=0$)
 -①

or, $\frac{\bar{M}}{P \cdot k} = Y$, we get a unique level

of income)) wh. \Rightarrow s that LM curve will be vertical at that level of income.

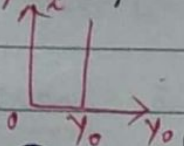
The vertical LM curve is called the classical case. In this case, corresp^g to a given money ss, there is a unique level of income that exists in the economy, & LM curve is vertical at that level of income. This is called the classical case because in the classical theory

of money nominal inc. depends only on the qty of money in the eco. when LM curve is vertical, m.p. ~~cannot~~ affects the level of income, it is most ineffective.

$$\left. \begin{aligned} M_d &= kPY \\ PY &= \frac{M_d}{k} \\ \text{Inc, } M &= \frac{M_d}{k} \end{aligned} \right\}$$

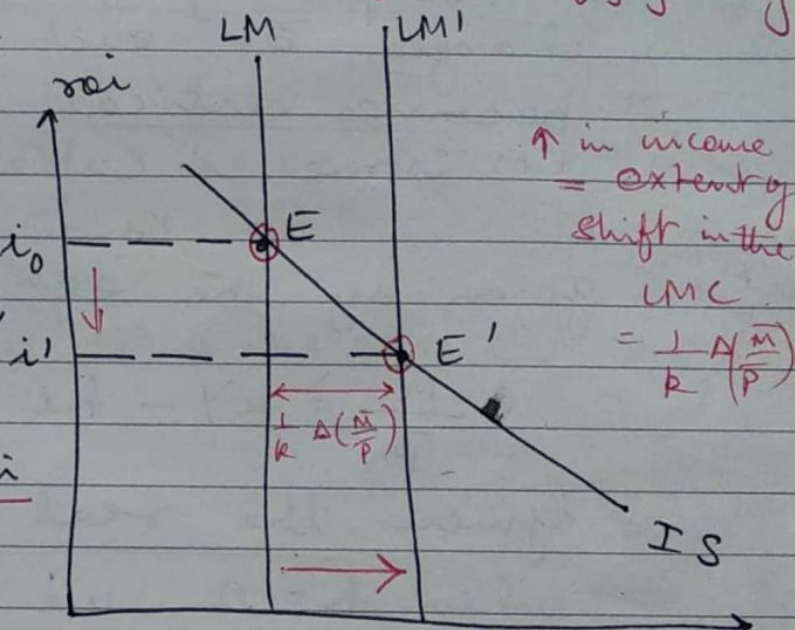
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From eqⁿ ① Now, $\bar{M} = k(\bar{P} \cdot Y)$ where \bar{M} = nominal money supply
 $\bar{P} \cdot Y$ = nominal GDP (i.e price x QP)



The above eqⁿ represents the classical qty theory of money, wh. states that nominal GDP (P x Y), depends only on the qty of money (\bar{M}) or the level of nominal inc. is detd solely by the qty of money when the LM curve

is vertical, a given change in the qty of money has a maximal effect on the level of income. This is shown in fig.



When there is \uparrow in money supply equal to $\Delta \left(\frac{\bar{M}}{\bar{P}} \right)$, the LMC shifts from LM to LM'.

The eq^m level of income rises from Y_0 to Y_1 & the \uparrow in inc $Y_0 Y_1$ is = $\left[\Delta \left(\frac{\bar{M}}{\bar{P}} \right) \cdot \frac{1}{k} \right]$

$$Y_0 Y_1 = \left[\Delta \left(\frac{\bar{M}}{\bar{P}} \right) \cdot \frac{1}{k} \right] = \uparrow \text{ in } Y$$

irrespective of the slope of the IS curve ($\frac{1}{k}$)

$h=0$ is i.e. d money. insensitiveness to Δ in r

This is \because the money expansion must be met by a $(k \Delta Y)$ increase in the "transactions" dd for money. Hence, ΔY must be equal to $\left[\Delta \left(\frac{\bar{M}}{\bar{P}} \right) \left(\frac{1}{k} \right) \right]$

\uparrow in $\frac{\bar{M}}{\bar{P}}$, $E_{SM} (E_m > D_m)$, i has to fall a lot to $\uparrow D_m$, $D_m \uparrow$ a lot, $Y \uparrow$ a lot

Upward sloping LM curve

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Q1) Numerical illustration of effectiveness of mon. policy in the intermediate range.

Intermediate range

given $L = 0.2Y - 4i$

$\Rightarrow k = 0.2$

$M = 150$

$h = 4$

$C = 100 + 0.8Y$

$c = 0.8$

$I = 150 - 6i$

$b = 6$

Det. the IS-LM eqns. Det. the eqm level of income & the i_1 . Sup the money is res from 150 to 170. Derive the new LM₂ eqn. Det. the new eqm i_1 & income. Support your answer with the help of diagrams.

Ans. Equate $L = M$ to det. the LM eqn. dd for real BS = M^s

$\Rightarrow 0.2Y - 4i = 150$

$0.2Y = 150 + 4i$

$Y = 750 + 20i$

--- LM₁ eqn.

LMC

Y = AD on IS curve Equate $Y = C + I$ to det. the IS eqn.

$Y = 100 + 0.8Y + 150 - 6i$

$0.2Y = 250 - 6i$

$Y = 1250 - 30i$

--- IS eqn

ISc

To det. eqm level of inc & i_1 , solve IS & LM₁ eqns. In eqm, IS = LM₁

$\Rightarrow 1250 - 30i = 750 + 20i$

$500 = 50i \Rightarrow i_1 = \underline{\underline{10\%}}$

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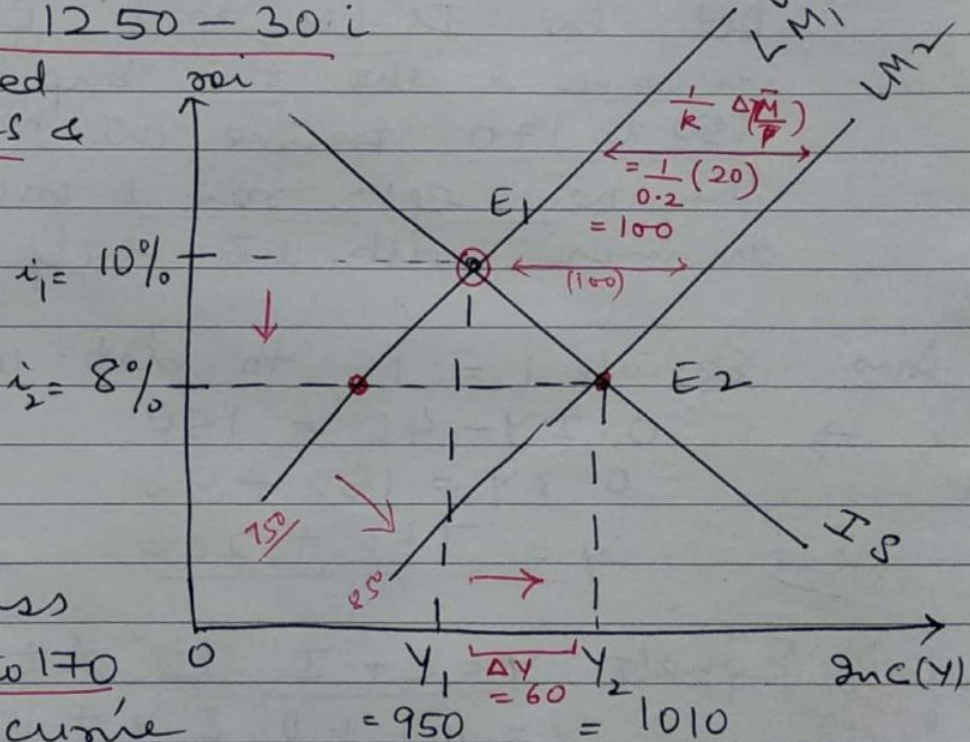
$i_1 = 10\%$
 $Y = 950$

when $i_1 = 10\%$, $Y_1 = 1250 - 30 \cdot (10) = 950$

The curve shown as LM, in the fig is repd by $Y = 750 + 20i$

The curve shown as IS, is repd by $Y = 1250 - 30i$

Eqm is attained at E_1 where IS & LM intersect
lets the eqm int. rate $i_1 = 10\%$ & eqm level of inc $Y_1 = 950$.



when the money supply rises from 150 to 170 the new LM₂ curve is repd by

(now $\bar{M} = 170$)
to derive new LMC

$$0.2Y - 4i = 170$$

$$0.2Y = 170 + 4i$$

w/LMC $Y = 850 + 20i$ --- LM₂ (intercept has ↑ed)
 The IS eqn is $Y = 1250 - 30i$
 'X' intercept
 ↓
 when $i = 0$,
 $Y = 850$.

The new eqm is at E_2 . To det. the new Y & i , solve IS & LM_2 eqns.

$$Y = 850 + 20i \quad \text{--- } LM_2$$

$$Y = 1250 - 30i \quad \text{--- } IS$$

In eqm, $IS = LM_2$,

$$\Rightarrow 850 + 20i = 1250 - 30i$$

$$\Rightarrow 50i = 400$$

$$i_2 = 8\% \Rightarrow i_2 = \underline{8\%}$$

$$Y_2 = 1010 \text{ when } i_2 = \underline{8\%}, \quad Y_2 = 1250 - 30(8) = \underline{1010}$$

$\Delta Y = 60$ \rightarrow Thus, expansion in money ss of 20 has been able to \uparrow the inc. from 950 to 1010. The eqm i has fallen from 10% to 8%.
(The \uparrow in income \leftarrow shift of the LM curve)
This is what happens in the intermediate range

Q2: Numerical illustr of effectiveness of Mon. policy in the classical range (vertical LM_c)

Given

$$L = 0.2Y^*$$

$$M = 200$$

$$C = 100 + 0.8Y$$

$$I = 140 - 5i$$

$$L = kY - hi$$

*(Here, $h=0$)
So, here $h=0$

Det. the IS & LM_1 eqns. Det. the eqm level of inc & i . Sup. the money ss res from

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$$L = kY$$

In eqm, $\frac{\bar{M}}{P} = L = kY$

$$\Rightarrow \frac{\bar{M}}{P \cdot k} = Y$$

200 to 820. Derive the new LM₂ eqn. Det. the new eqm level of int rate & inc. Show graphically. Comment on the magnitude of the shift of the LM c & the se in inc. level.

Ans Equate L = M to det. LM eqn.

$$0.2Y = 200$$

$$Y = 1000 \text{ --- LM}_1 \text{ eqn}$$

Equating Y = C + I to det. IS eqn

$$Y = 100 + 0.8Y + 140 - 5i$$

$$0.2Y = 240 - 5i$$

$$Y = 1200 - 25i \text{ --- IS}$$

gives $\frac{M}{P}$,
unique level of inc. if $h=0$

In eqm IS = LM₁

$$\Rightarrow 1200 - 25i = 1000$$

$$200 = 25i$$

$$i_1 = 8\%$$

$$i_1 = \frac{8\%}{1000}$$

Y_1 when $i_1 = 8\%$, $Y_1 = 1200 - 25(8) = 1000$

The curve LM₁ is rep'd by $Y = 1000$.

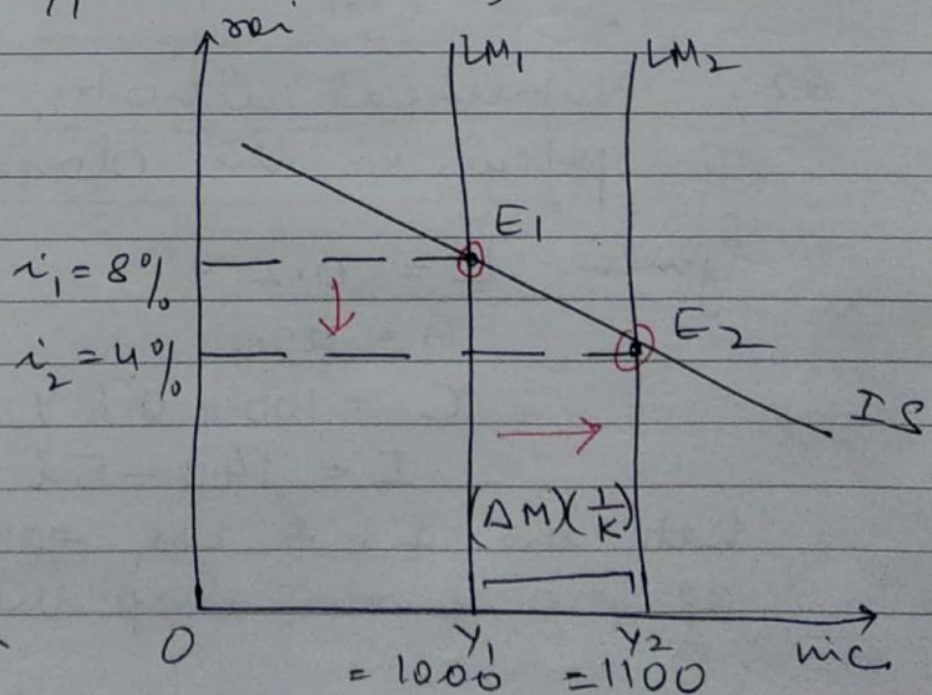
It's vertical

IS curve is rep'd by $Y = 1200 - 25i$

Eqm at E₁.

Eqm $i = 8\%$

Eqm inc = $Y_1 = 1000$.



when the money ss res from 200 to 220, the LM₂ curve is repd by

$$0.2Y = 220$$

$$Y = 1100 \quad \text{--- LM}_2 \text{ Eqn}$$

IS eqn: $Y = 1200 - 25i$
 --- new Eqm at E_2 .

In Eqm IS = LM₂,

$$\Rightarrow \rightarrow Y = 1100 \text{ is LM}_2 \text{ Eqn}$$

$$\rightarrow Y = 1200 - 25i \text{ --- IS.}$$

$$\Rightarrow 1100 = 1200 - 25i$$

$$i_2 = 4\%$$

$$i_2 = 4\% \\ Y_2 = 1100$$

$$Y_2 = 1200 - 25(4) = 1100.$$

Thus, the expansion in money ss of 20 has been able to ↑ the inc. from 1000 to 1100. The Eqm int has ↓ed from 8% to 4%.

The ↑ in money ss of 20 causes the LM curve to shift stwd by

$$\rightarrow \left[\Delta \bar{M} \left(\frac{1}{k} \right) \right] = \left[20 \cdot \left(\frac{1}{0.2} \right) \right] = \underline{100} \quad (k=0.2)$$

$$\text{The } \uparrow \text{ in inc } Y_1, Y_2 = 1100 - 1000 = \underline{100}$$

Thus, the ↑ in inc (=100) is equal to the stwd shift of the LM Curve (=100)

In Keynⁿ range, the Mon. policy is totally ineffe.

\Rightarrow ↑ in MS leads to no ↑ in inc & no Δ in int.

$$L = RY - hi \\ L = kY -$$